The effect of a gamma ray flare on Schumann resonances

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Abstract. We describe the ionospheric modification by the SGR 1806-20 gamma flare (27 December 2004) seen in the global electromagnetic (Schumann) resonance. The gamma rays lowered the ionosphere over the dayside of the globe and modified the Schumann resonance spectra. We present the extremely low frequency (ELF) data monitored at the Moshiri observatory, Japan (44.365° N, 142.24° E). Records are compared with the expected modifications, which facilitate detection of the simultaneous abrupt change in the dynamic resonance pattern of the experimental record. The gamma flare modified the current of the global electric circuit and thus caused the “parametric” ELF transient. Model results are compared with observations enabling evaluation of changes in the global electric circuit.

Keywords. Electromagnetics (Electromagnetic theory; Wave propagation)

1 Introduction

Monitoring of the global electromagnetic (Schumann) resonance allows for studying both the Earth–ionosphere cavity and the natural sources of radiation-lightning strokes (Nickolaenko and Hayakawa, 2002). We compare the experimental and model results concerning the impact of the powerful gamma ray flare from SGR 1806-20 that occurred on 27 December 2004. Since 1979 a couple of intense gamma ray flares took place arriving from the extra-terrestrial sources. Records of remote VLF transmitters indicated the ionosphere depression caused by the gamma rays (Inan et al., 1999, 2007; Terasawa et al., 2005; Tanaka et al., 2008), but an attempt was unsuccessful at finding any changes in the Schumann resonance records caused by the gamma flare from SGR 1900+14 on 27 August 1998 (Price and Mushtak, 2001).

In this paper we report a successful detection of changes in the Schumann resonance spectra during the intense gamma ray flare SGR 1806-20 (27 December 2004). The records were performed at the Moshiri observatory, Japan (44.365° N and 142.24° E). Experimental material is compared with the model predictions for the Schumann resonance background signal based on the “knee” ionosphere model (Mushtak and Williams, 2002; Williams et al., 2006), and the partially uniform knee (PUK) ionosphere model (Pechony and Price, 2004). We also compare the experimental records at the Moshiri observatory with the model estimates for the parametric ELF pulse generated by the gamma flare (Nickolaenko, 2010, 2011; Nickolaenko and Schekotov, 2011a, b).

Detailed description of the gamma ray event can be found in the papers by Hurley et al. (2005), Terasawa et al. (2005), Inan et al. (1999, 2007), and Tanaka et al. (2011). We mention only the minimal information here. The flare occurred around 21:30:26 UT when the hard X/gamma rays arrived at the dayside of the Earth. Radiation came from a neutron star 30–40 thousand light years away. The peak flow exceeded the most intense solar flares by five orders of magnitude, and it was 100 times greater than the SGR 1900+14 gamma flare of...
The disturbance was centered above the Pacific Ocean (146.2°W and 20.4°S), i.e. at a distance of ≈450 km from the center of the dayside hemisphere.

Monitoring the transpacific VLF transmissions at the “Palmer” Antarctic station allowed for the following interpretation of observations (Inan et al., 2007). The gamma flare lowered the dayside ionosphere by ∼20 km, and modification lasted for more than 1 h. It was detected at distances up to 60° from the sub-flare point. An abrupt drop of the ionosphere height occurred in less than 0.02 s (Inan et al., 2007), and we fit the temporal change of the height by the following function:

\[ dH = -19 \cdot (9.6441t)^{-0.1501}. \]  

Here \( t \) is the time since the gamma ray arrival. In our computations, we change the ionosphere height with a 10 s step (Nickolaenko and Hayakawa, 2010).

### 2 Conductivity profile of the lower ionosphere

The knee ionosphere model is used for computing the parameters of Schumann resonances in the uniform Earth–ionosphere cavity (Williams et al., 2006). The PUK model is applied for the cavity with day-night non-uniformity (Price and Pechony, 2004). We postulate that only the “knee altitude” is reduced by gamma rays. Therefore, the “electric” height of the Earth–ionosphere cavity goes down, while the “magnetic” height remains undisturbed. It is important that according to VLF records (Inan et al., 2007), the modification was detected at the angular distance \( \psi \) from the center of disturbance reaching 60°. We assume therefore that the gamma ray modification may cover the whole hemisphere.

Physically, a huge reduction of the ionosphere height alters the eigenvalues of the Earth–ionosphere cavity. Modification simultaneously brings down the peak amplitudes, peak frequencies, and the quality factors of all Schumann resonance modes. In our computations that account for the day-night non-uniformity, the PUK model was used (Pechony and Price, 2004) with the 20 km reduction of knee height at the dayside. Bearing in mind the global nature of Schumann resonance, we applied the 10 km depression over the whole globe in the model of uniform Earth–ionosphere cavity (Nickolaenko and Hayakawa, 2010). We compare the results of both approaches and find that the day-night asymmetry has a minor impact on the quantitative effect of the gamma rays.

### 3 Modifications of Schumann resonance spectra

Prior to processing the experimental record, we found out what kind of modification should be sought in the observational data (Nickolaenko and Hayakawa, 2010). The above models of the Earth–ionosphere cavity were used for this purpose combined with the modern data on the global lightning source distribution. The “physical” parameters of the standard and disturbed ionospheres are listed below.

We adopt the knee altitude \( H_{\text{KNEE}} = 55 \) km for the regular model, and the knee frequency \( F_{\text{KNEE}} = 10 \) Hz. This means that conductivity and displacement currents become equal \( (2\pi \cdot \varepsilon_0 \cdot F_{\text{KNEE}} = \sigma_{\text{KNEE}}) \) at the 55 km altitude for the frequency of 10 Hz (Greifinger and Greifinger, 1978; Kirillov, 1993, 1996; Kirillov and Kopeykin, 2002; Mushtak and Williams, 2002; Williams et al., 2006; Pechony et al., 2007). Vertical conductivity profile has the scale heights \( \zeta_a = 2.9 \) km above and \( \zeta_b = 8.3 \) km below the knee altitude. The upper ionosphere is characterized by the magnetic height \( H_{\text{mp}} = 96.5 \) km and \( F_{\text{mp}} = 8 \) Hz, which logarithmically varies with frequency. Conductivity profile at the “magnetic” altitude has a definite scale height (Mushtak and Williams, 2002; Williams et al., 2006). Gamma rays globally reduce the knee altitude \( H_{\text{KNEE}} \) from 55 to 45 km, and relevant parameters were used in computations of ELF spectra (Nickolaenko and Hayakawa, 2010).

When accounting for the cavity day-night asymmetry, we used the PUK model (Pechony and Price, 2004; Pechony et al., 2007). The ionosphere is subdivided into the day and night hemispheres, and the knee model is used for each of them, only, parameters at these two sides are different. In particular, \( F_{\text{KNEE}} = 13 \) Hz and \( F_{\text{mp}} = 6 \) Hz are fixed everywhere. The dayside is characterized by \( H_{\text{KNEE}} = 54 \) km, \( \zeta_a = 2.7 \) km, \( \zeta_b = 7.5 \) km, and \( H_{\text{mp}} = 97.5 \) km. The nightside has the values of \( H_{\text{KNEE}} = 60 \) km, \( \zeta_a = 3.8 \) km, \( \zeta_b = 9.1 \) km, and \( H_{\text{mp}} = 99.0 \) km. These parameters were used in the procedure of resolving the 2-D (two-dimensional) telegraph equations for Schumann resonance.

Two spatial distributions of thunderstorms were used. The simple one has the lightning strokes uniformly distributed worldwide. A more realistic model implies the global distribution acquired by the Optical Transient Detector (OTD). This space-borne sensor recorded optical flashes from the lightning strokes worldwide during 5 years of observations. The final results were presented as global maps of lighting activity corresponding to every hour UT and each month of a year. Since the gamma rays arrived at 21:30 UT, we averaged the OTD maps for 21 and 22 h in our computations.

Figure 1 shows the numerical sonogram of Schumann resonance around the moment of gamma ray burst (\( t = 0 \)) (Nickolaenko and Hayakawa, 2010). Thunderstorms were positioned in accordance with the OTD data. Resonance spectra were computed with the 10 s time step, and the height modification was described by Eq. (1) with the initial global reduction of 10 km instead of 19 km.

The sonogram of Fig. 1 clearly shows an abrupt downward shift of the Schumann resonance pattern at the onset of gamma ray flare. It slowly returns to the regular configuration afterwards. Thus, one has to search for a sudden drop in experimental sonograms at the time of the gamma burst occurrence. To stress the outline of modification, we draw the...
levels 240 and 260 a.u. by thick lines in Fig. 1. These contours will be helpful in comparing observational data.

Figure 2 shows the impact of gamma rays in both the uniform Earth–ionosphere cavity (upper plot) and in the non-uniform cavity (lower plot). The OTD source distribution is used in both cases. The spectra were computed for the vertical electric field component by using the 2-D telegraph equations with the PUK day-night model (Pechony et al., 2007). As one may see from the figure, dynamic spectra of Schumann resonance in both frames behave similarly: there is an abrupt drop in the resonance pattern.

Additional data are given in Fig. 3 comparing amplitude variations in the uniform and non-uniform Earth–ionosphere cavities. The observer is placed at “Palmer” Antarctic station where the gamma flare was detected in VLF transmissions. Both uniform and OTD spatial distributions of lightning strokes were used combined with two models of the Earth–ionosphere cavity.

The inset in Fig. 3 shows the amplitude reduction with higher temporal resolution. By comparing the black line (OTD lightning distribution in the non-uniform cavity) with the blue curve (OTD distribution and the uniform cavity), we observe that effect of the ionosphere day-night asymmetry is insignificant. The highest deviation among the curves is pertinent to the uniform distribution of lightning strokes. Except for this systematic deviation, the general behavior remains the same: an abrupt reduction reaching 30% and a gradual recovery. We conclude that computations predict essentially the same modification regardless of particular model: gamma rays abruptly reduce all resonance parameters. It is important that sudden alterations occur simultaneously at all resonance modes, and hence we must look for the similar discontinuity pattern in experimental ELF sonograms around the occurrence time of gamma flare.

4 Experimental Schumann resonance background signal

Experimental ELF records are made continuously at the Moshiri observatory, Japan (geographic coordinates, 44.365°N and 142.24°E), since 1996. Waveforms of vertical electric, east–west (EW), and north–south (NS) horizontal magnetic field components are recorded here with the
Fig. 4. Survey sonograms of Schumann resonance records at Moshiri observatory around the time of the gamma ray flare.

sampling frequency of 4 kHz (Ando et al., 2005). The ELF data at Moshiri have been utilized to study the sprite problems (Hobara et al., 2001; Hayakawa et al., 2004), global lightning activity (Sekiguchi et al., 2006), etc. (see a review by Hayakawa et al., 2011). We have chosen a fragment of the ELF record in the vicinity of the gamma ray event for the spectral processing. Dynamic spectra of $H_{NS}$ and $H_{EW}$ components are shown in Fig. 4 (the electric signal was spoiled by local interference). We depict two survey sonograms in this figure. Signal frequency is plotted on the ordinate in Hz. Time is shown on the abscissa in seconds, and the zero time is linked to the moment of gamma ray arrival. Individual amplitude spectra composing the sonograms were obtained from fragments 10 s long. Such a duration provided the frequency resolution of 0.1 Hz. Individual spectra were obtained with a 1 s step, i.e. for $t = 0$; we process the segment ranging from $-5$ to $+5$ s. For the time $t = 1$, the segment was $[-4; 6]$ s, etc. Thus, the time shown on the abscissa corresponds to the middle of a record 10 s long.

It is well known that Schumann resonance spectra of short samples of data are rather unstable (e.g. Nickolaenko and Hayakawa, 2002). The commonly known smooth resonance lines appear after averaging of many elementary spectra, and usually the 5 or 10 min intervals are used for averaging (30 or 60 elementary spectra). One cannot expect the “regular” experimental resonance pattern like those shown in Figs. 1 and 2: observational sonograms are highly structured due to the stochastic nature of lightning sources. One may see that spectra in Fig. 4 are spontaneous in both the field components. The outline of the gamma ray modification is obscured by random changes driven by the global thunderstorms. In this aspect our experimental spectra are similar to data published by Price and Mushak (2001).

To reveal any modification, we choose a smaller portion of experimental sonograms and combine them in Fig. 5 with the spectra of Fig. 1. The thick black lines depict the levels emphasized in the model sonogram. In spite of highly unstable experimental spectra, the expected simultaneous drop of the resonance pattern becomes apparent in both frames of Fig. 5. The time of abrupt modification matches the arrival moment of gamma rays to Earth. Even the tendency toward recovery might be perceived in the plots of Fig. 5.

5 ELF transient caused by gamma ray flare

An original simple model of parametric excitation was aimed at evaluating the expected amplitude of a feasible parametric pulse (Nickolaenko, 2010). It suggested that the Earth–ionosphere cavity is a dielectric spherical layer separating the perfectly conducting ground and ionosphere. The ionosphere is charged to $+250$ kV potential, and the gamma flare reduces the regular 60 km height to 40 km over the dayside of the globe. Computations predicted the pulsed amplitude exceeding the Schumann resonance background signal by at least an order of magnitude (Nickolaenko, 2010).

After the parametric pulse was discovered in the records of three Schumann resonance observatories (Tanaka et al., 2011), more realistic models were elaborated (Nickolaenko, 2011) for interpreting the observations (Nickolaenko and Schekotov, 2011a, b). One of these models is used in the present work.

Figure 6 depicts the fragment of record, and the rectangular frame denotes the time window when the parametric ELF transient must be expected. The abscissa depicts the time in seconds from 21:30 UT. Three records are shown: the upper one presents the vertical electric field and two lower plots correspond to the $H_{EW}$ and $H_{NS}$ horizontal magnetic field components. The electric field was damaged by the local interference at the time and thus was not processed.

Horizontal magnetic fields also contain the man-made interference, which does not completely conceal the ELF transient pulse at the expected time. It was necessary to remove the interference from the record. We used the
A comparison of experimental and model sonagrams around the time of the gamma ray flare, revealing the Schumann resonance modification.

Fig. 6. Fragment of ELF record at Moshiri station around the time of gamma ray flare.

The CATERPILLAR algorithm accomplishing the singular spectral analysis (SSA) (Danilov and Zhiglyavsky, 1997; Marple, 1987), and Fig. 7 shows the stages of its application. The left frame in Fig. 7 shows the processing of $H_{NS}$ field and the right frame corresponds to $H_{EW}$ component. The abscissa shows the time in seconds from 21:30 UT.

The upper plots show the original record. The second graph in the left frame of Fig. 7 illustrates the sum of principal components #1, #2, and #3 corresponding to the pulsed and high frequency interference in the $H_{NS}$ record. After removing it from the initial realization, we obtain the third plot of Fig. 7 (single CATERPILLAR procedure). A subsequent application of the same algorithm removes the remaining 50 Hz signal completely, and we obtain the lower red curve in Fig. 7. This is an attenuating pulse of ~7 Hz “carrier” frequency.

In processing of the $H_{EW}$ field component (the right frame of Fig. 7), the complicated industrial interference is recognized as the principal component #1 (the second plot). It is readily removed, and we obtain the pulsed waveform of ~7 Hz frequency. Pulses “purified” by the SSA processing were used in the spectral analysis exploiting the FFT algorithm. Relevant amplitude spectra are shown in Fig. 8. Here, the abscissa depicts the signal frequency in Hz, and the field amplitude is shown on the ordinate in arbitrary units. The inset in Fig. 8 demonstrates the Schumann resonance band in more detail. One may observe that pulses in the both field components have the distinct first Schumann resonance mode, while the $H_{EW}$ component also contains a weak and wide second mode.

We depicted in Fig. 8 the amplitude spectra up to 120 Hz, as the model (Nickolaenko, 2010) predicted two distinct spectral peaks. One of them was the first Schumann resonance mode being a sole maximum in the spectrum due to source current covering the whole hemisphere. Physically, individual “sub-signals” arriving from different sections of a large parametric source constructively interfere only at the lowest resonance frequency. The signals interfere destructively at higher modes. The additional maximum in the model spectra was a wide peak around 60 Hz, here, the constructive interference reappears again owing to the $2\pi$ spatial phase shift. Such a peak was present in the model spectra, but it was absent in all experimental records.

Explanation of the fact is a smaller sector covered by the parametric currents. Computational results for different source widths are shown in Fig. 9 for the Moshiri observatory. One may observe that the “high frequency” peak...
disappears in all field components when the source radius is \( \psi = 60–70^\circ \) or smaller. Thus, observations might attest that radius of the area involved in the parametric pulse generation did not surpass the 7 Mm. This is in accord with the VLF observations (Inan et al., 2007).

6 Properties of experimental ELF pulse

The parametric ELF transient signal (Q-burst) was successfully found in the experimental record. Some of its features coincide with the predictions; some of them deviate from expectations. The occurrence of parametric pulse is consistent with the time of ionosphere modification, and the temporal correspondence is obvious from Fig. 6. Similar pulses were found worldwide in the records of Schumann resonance observatories at Onagawa, Japan (38.43° N, 141.48° E); Esrange, Sweden, (67.83° N, 21.1° E); and Karymshino, Russia (52.94° N, 158.25° E) (Tanaka et al., 2011; Nickolaenko and Schekotov, 2011a, b).

After obtaining information confirming the existence of parametric pulse, advanced models were elaborated for the transient sources (Nickolaenko, 2011). These suggest that the gamma flare modifies the currents of the global electric circuit, as an additional ionization increases the air conductivity from the ionosphere heights to the ground. In the specific model we use here, the leakage current from the ionosphere to the ground increases from its regular 2 pA m\(^{-2}\) value to \( \sim 4 \) pA m\(^{-2}\). This change occurs at the moment when gamma rays reach the “electrosphere” heights. The latter is the altitude interval where the major resistance of air column is found (Rycroft et al., 2008). The “proportional-knee” model was used containing the bi-exponential undisturbed vertical profile of air resistance characterized by scale heights of \( \zeta_a = 2 \) km above and \( \zeta_b = 6 \) km below the 55 km knee altitude (Williams, 2006). The gamma flare moves downward both the knee altitude and the upper part of the profile by 20 km with no impact on its scale height. The lower part of disturbed vertical profile acquires the new scale height of \( \zeta \approx 3.5 \) km, so that particular air resistance at the ground does not vary: \( \rho_0 = 2.08 \times 10^{14} \) Ohm m\(^{-3}\) (Nickolaenko, 2011). The step-like modulation in the leakage current of the global electric circuit provides a “red” parametric source having the \( 1/f \) spectral amplitude in distinction from the “white” source spectrum used in the primary model. Since the positive leakage current increases, the source has the positive polarity.

Two features are responsible for an absence of the 60 Hz peak. The obvious reason is the \( 1/f \) source amplitude...
Fig. 8. Amplitude spectra of the pre-processed ELF pulses recorded at the Moshiri observatory around the time of the galactic gamma burst.

Fig. 9. Spectra of the parametric ELF pulse at Moshiri observatory versus the source width.

spectrum. The 60 Hz peak becomes noticeably reduced, but “remnants” of the high frequency pattern are still visible in the pulsed waveform. High frequencies disappear completely when the source size becomes equal to 60° or less (see Fig. 9).

We compare in Fig. 10 the experimental and model waveforms. The abscissa depicts the time in seconds. The pulse amplitude is measured in μA m\(^{-1}\) (1 μA m\(^{-1}\) = 1.256 pT). The red line depicts the experimental \(H_{NS}(t)\) waveform, while the blue line shows the model data. As one may observe, waveforms have similar outline and coincident amplitudes. Pulses in Fig. 10 have similar “precursors” and the onsets of the same sign, hence the currents causing the parametric pulse, had the positive polarity, i.e. similar to those of the positive lightning strokes.

Data presented here agree with the records of other stations (Tanaka, 2011; Nickolaenko and Schekotov, 2011a, b).

Observations confirmed the global detection of a parametric Q-burst generated by the gamma ray flare: the pulse arrival times agree with the arrival of gamma quanta, the basic Schumann resonance mode dominates in all records, the observed and computed pulse amplitudes match, and the source polarity was positive.

We hope to perform a comparative analysis of all available data aiming at obtaining thorough information on the field source produced by an interaction of powerful ionizing radiation and atmosphere.

7 Discussion and conclusion

Both the model and experimental data presented here show an anomaly in the Schumann resonance pattern caused by the powerful gamma ray flare of 27 December 2004. To detect modifications in the ELF background signal, we had to apply a special signal processing: the 10 s segments were used in the FFT procedure, while the sonogram was formed by amplitude spectra obtained with the 1 s step. Owing to the stochastic nature of the experimental record, only its direct comparison with the model sonograms enabled disclosing the expected modification in the spectral pattern.

These results agree with the conclusion by Mushtak and Williams (2002): the random nature of sources results in the stochastic spectra, which impede detection of the short-term gamma ray effect. Usually, Schumann resonance spectra are averaged over the 5–10 min intervals, while the ELF impact of gamma rays becomes indistinguishable in a few seconds after its onset. The unsuccessful attempt by Mushtak and Williams (2002) might be attributed to the smaller intensity of the gamma ray event in 1998 and to the application of a standard averaging procedure.

Ionospheric modification was quite obvious in the records of VLF radio transmitters (Inan et al., 2007). Probably, it
An instant decrease of all Schumann resonance parameters occurred at the moment of a sharp ionosphere reduction over the dayside of the globe. The onset of modification was coincident with the moment of gamma ray arrival, and shortly afterwards the resonance pattern has recovered.

- The short-time nature of the event combined with the non-stationary nature of ELF radio noise impeded detection of the effect in usual integrated Schumann resonance spectra. Only direct comparison of experimental and model data revealed the impact of gamma flare.

- The gamma rays modified the current in the global electric circuit, thus causing a discrete ELF radio pulse. The pulse was initially found in the Moshi record, and it was confirmed by the worldwide records at Onagawa (Japan), Esrange (Sweden), and Karymshino (Russia).

- The spectrum of parametric pulse contains only the first Schumann resonance mode, which is conditioned by a considerable horizontal extension of the source currents.

- The wide spectral peak around 60 Hz was absent in all records. This indicates that the parametric source radius could not surpass 60°–70°.

- A comparison of observed and computed pulsed waveforms supports the concept of a sudden increase in the air conductivity that enhanced the leakage current in the global electric circuit by a factor of two.

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